Fw: Simulacra and Simulation

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Date: Thursday, July 1st, 2021 at 12:50 PM

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To: "drmiano@yahoo.com" <drmiano@yahoo.com> Sent: Monday, May 3, 2021, 10:52:43 PM EDT

Subject: Simulacra and Simulation

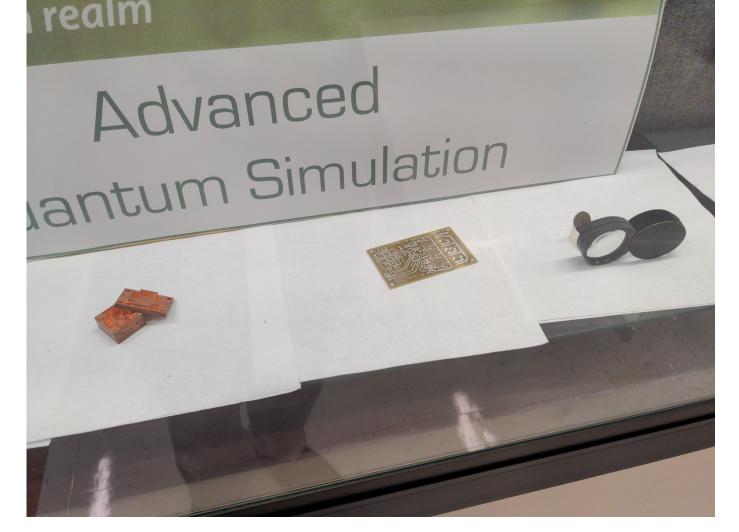
Simulacra and Simulation



"M", Tristan-Gan MIANO

May 4 ♥ 🖵 🗅







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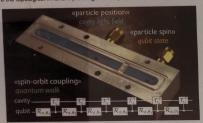
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Quantum simulation of topological material

The direct measurement of topological invariants in both engineered and naturally occurring quantum materials is a key step in classifying quantum phases of matter. Here we motivate a toolbox based on time-dependent quantum walks as a method to digitally simulate single-particle topological band structures. Using a superconducting qubit dispersively coupled to a microwave cavity, we implement two classes of split-step quantum walks and directly measure the topological invariant (winding number) associated with each.



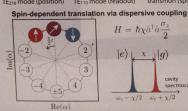
The measurement relies upon interference between two components of a cavity Schrödinger cat state and highlights a novel refocusing technique which allows for the direct implementation of a digital version of Bloch oscillations. Our scheme can readily be extended to higher dimensions, whereby quantum walk based simulations can probe topological phases ranging from the quantum spin Hall effect to the Hopf insulator.

Quantum Walks with Superconducting circuits

Circuit QED: Superconducting Qubit coupled to Cavity



transmon (spin) TE210 mode (position) TE110 mode (readout)



Emerging Topological Bandstructure in Quantum Walks

Split-step Quantum Walk Protocol

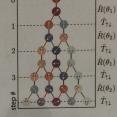
1. Rotate spin by θ_1

 $\hat{R}(\theta) = e^{i\theta\hat{\sigma}_x/2}$

2. Spin-dependent translation

- $T_{\uparrow\downarrow} = \sum_{x} |x\rangle\langle x + 1|\otimes|\uparrow\rangle\langle\uparrow|$ $+ |x\rangle\langle x - 1|\otimes|\downarrow\rangle\langle\downarrow|$
- 3. Rotate spin by $\,\theta_2\,$ 4. Spin-dependent translation

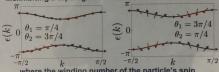
5. repeat...



The quantum walk unitary... $U_{\rm SS} = \hat{T}_{\uparrow\downarrow} \hat{R}(\theta_2) \hat{T}_{\uparrow\downarrow} \hat{R}(\theta_1) = e^{i\hat{k}\hat{\sigma}_z} e^{i\frac{\theta_2}{2}\hat{\sigma}_x} e^{i\hat{k}\hat{\sigma}_z} e^{i\frac{\theta_1}{2}\hat{\sigma}_x} = e^{i\hat{H}_{\rm eff}}$

... simulates an effective spin-orbit lattice Hamiltonian... $\hat{H}_{\text{eff}} = \epsilon(\hat{k}) \ \hat{\sigma}.\vec{n}(\hat{k})$

..exhibiting a topological bandstructures...



..where the winding number of the particle's spin is a robust and non-local topologocal invariant.

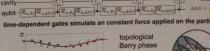


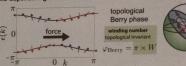


Observing Spin-Orbit Dynamics of the Light Field



Time-dependent Quantum Walk **Digital Bloch Oscilations**



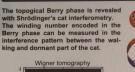


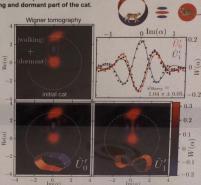
 $-\frac{\pi}{\pi}\frac{1}{0} = \frac{\pi}{k}$ The constant force leads to Bloch oscillation, a refocusing after the traversal of the Brouillion zone. A topological Berry phase is picked up by the particle's wavefunction

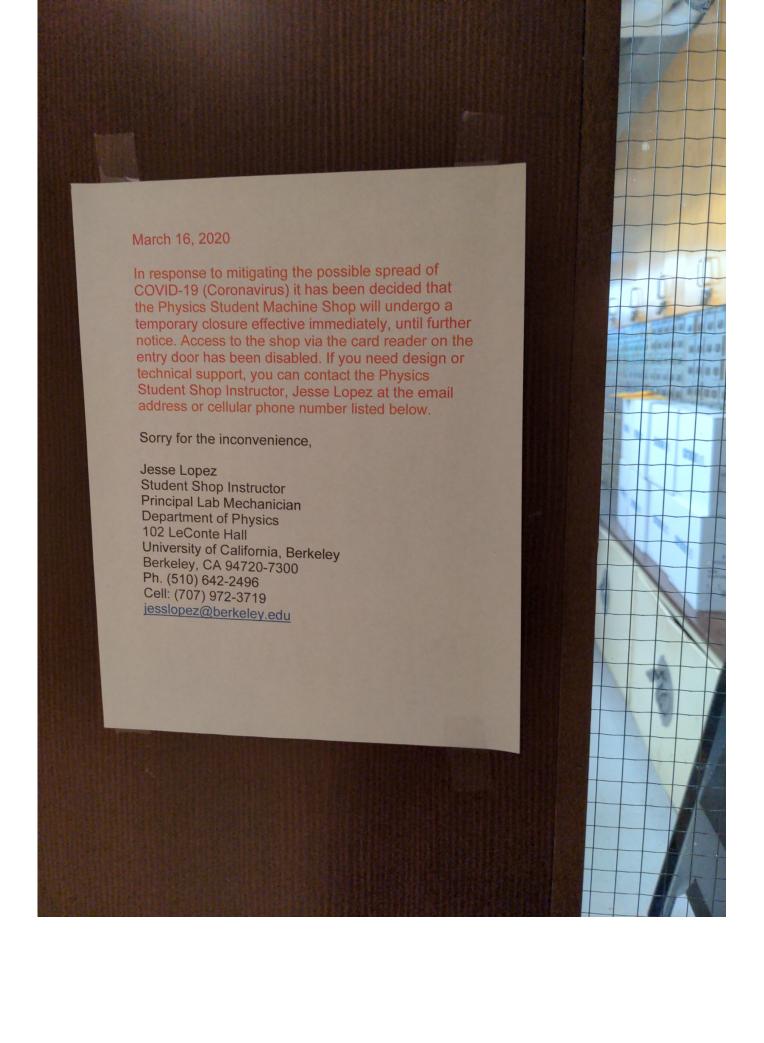


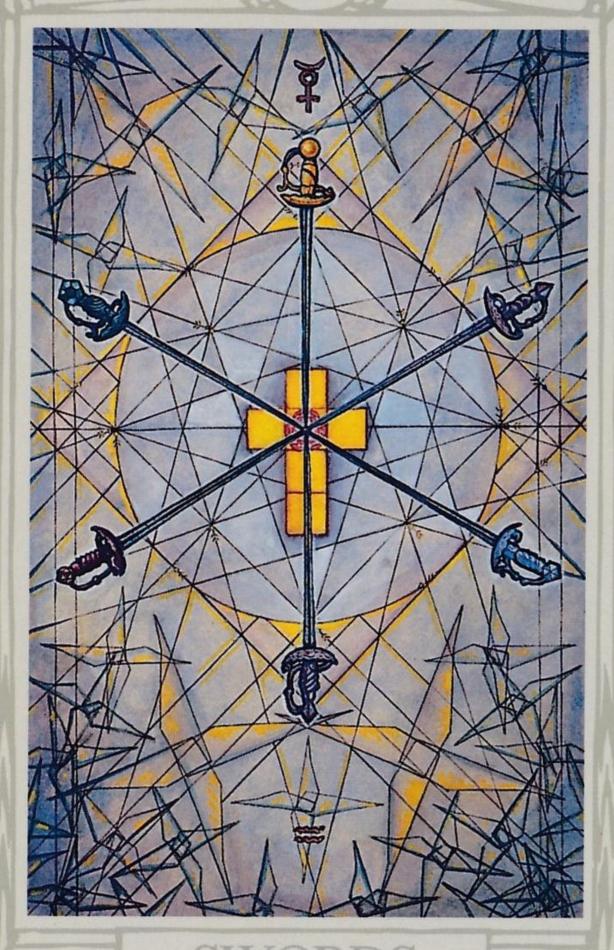
the refocusing dynamic is successfully simulated by the quar

Directly Observing Topological Invariants with Cate









Science



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